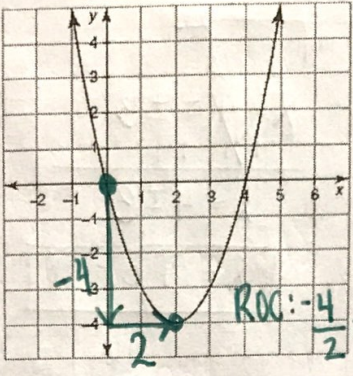
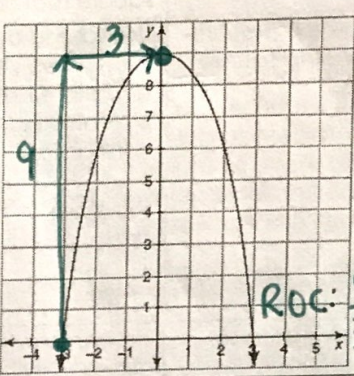
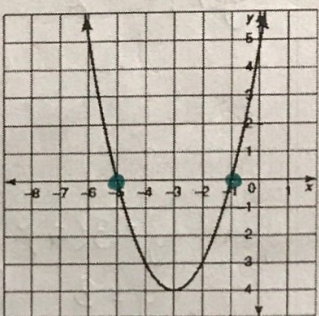
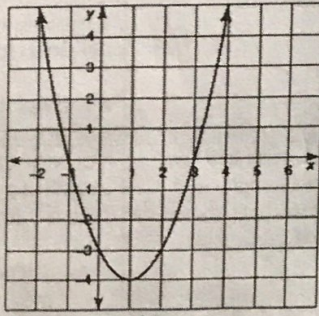


What you need to know & be able to do	Things to remember	Examples	
1. Find the average rate of change given a graph	<p>-Determine your two x-values and find their corresponding y-values on the parabola.</p> <p>-Calculate the rate of change (rise over run)</p>	a. On interval from $0 \leq x \leq 2$:	b. On interval from $-3 \leq x \leq 0$:
			
2. Applications of the Vertex	<p>Maximum/Minimum indicate finding the vertex.</p> <p>Interpret the vertex in terms of what x and y represent.</p>	<p>a. The height in feet of a rocket after x second is given by $y = -16x^2 + 128x$. What is the maximum height reached by the rocket and how long does it take to reach that height?</p> <p>$x = \frac{-b}{2a} = \frac{-128}{2(-16)} = \frac{-128}{-32} = 4 \text{ seconds}$</p> <p>$y = -16(4)^2 + 128(4) = 256 \text{ ft}$</p>	
3. Determine the equation of a parabola using its zeros.	The zeros and factors in the equation have opposite signs.	a. Create an equation, in factored form, to represent the following graph.	b. Create an equation, in factored form, to represent the following graph.
		 <p>$Y = (x + 5)(x + 1)$</p>	 <p>$Y = (x + 1)(x - 3)$</p>
4. Solve Quadratic Equations	<p>Solve by Factoring or Quadratic Formula</p> <p>$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$</p>	<p>a. Solve for x: $x^2 - 9x + 20 = 0$</p> <p>$(x - 4)(x - 5) = 0$</p> <p>$x = 4 \text{ and } x = 5$</p>	<p>b. Solve for x: $x^2 - 13x + 40 = 0$</p> <p>$(x - 8)(x - 5) = 0$</p> <p>$x = 8 \text{ and } x = 5$</p>

5. Completing the Square	Move the c term to the right side Use $\left(\frac{b}{2}\right)^2$ to complete the square and then apply square root method	a. What would be the missing number in line 2 if solving by completing the square? $\frac{4}{2}(-2)^2 = 4$ $x^2 + 4x + 11 = 10$ $x^2 + 4x + \underline{4} = -1 + \underline{4}$	b. What would be the missing number in line 2 if solving by completing the square? $\frac{-16}{2} = (-8)^2$ $x^2 - 16x + 52 = 0$ $x^2 - 16x + \underline{64} = -52 + \underline{64}$														
6. Solve equations by finding square roots.	Use solving by square roots when your equations have parenthesis or two terms (a & c). PEMDAS (backwards)	a. $\sqrt{(x-4)^2} = 9$ $x-4 = \pm 3$ $\frac{+4}{+4}$ $x = 4 \pm 3$ $\boxed{x = 7 \text{ or } 1}$	b. $2(x+3)^2 + 2 = 34$ $\frac{-2}{-2}$ $\frac{2(x+3)^2}{2} = \frac{32}{2}$ $\sqrt{(x+3)^2} = \sqrt{16}$ $x+3 = \pm 4$ $\frac{-3}{-3}$ $x = -3 \pm 4$ $\boxed{x = 1 \text{ or } -7}$														
7. Solving literal equations	Remember you "literally" write what you see. Think about how you will undo the square term.	a. Solve for r: $A = \pi r^2$ $\frac{A}{\pi} = r^2$ $\sqrt{\frac{A}{\pi}} = \sqrt{r^2}$ $\boxed{r = \sqrt{\frac{A}{\pi}}}$	b. Solve for s: $V = \frac{1}{3}s^2h$ $\frac{3V}{h} = \frac{s^2h}{h}$ $\sqrt{s^2} = \sqrt{\frac{3V}{h}}$ $\boxed{s = \sqrt{\frac{3V}{h}}}$														
8. Describe the transformations of an exponential function.	$f(x) = a(b)^{x-h} + k$ a stretches or shrinks AND/OR reflects k moves the function up and down. h moves the function left and right.	a. Given the function $g(x) = 2^x$, write a new equation after a transformation of right 9 and reflect across the x-axis. $g(x) = -2^{x-9}$	b. Describe the transformation $h(x) = 10^x$ to $k(x) = 4(10)^{x+1} - 5$. <ul style="list-style-type: none">stretch by 4left 1down 5														
9. Determine the y-intercept and asymptote from an equation	You can always substitute 0 in for x to find a y-intercept Asymptote: $y = k$ No 'k' value, the asymptote is $y = 0$.	a. Determine the y-intercept and asymptote of the function $y = 3(2)^x$. y-int: $y = 3(2)^0$ $y = 3 \quad (0, 3)$ asymptote: $y = 0$	b. Determine the y-intercept and asymptote of the function $y = 4\left(\frac{1}{2}\right)^x - 2$. y-int: $y = 4\left(\frac{1}{2}\right)^0 - 2$ $y = 2 \quad (0, 2)$ asymptote: $y = -2$														
10. Create equations from a graph or table	$y = y\text{-int}(\text{constant ratio})^x$	a. <table><tr><td>x</td><td>-2</td><td>-1</td><td>0</td><td>1</td><td>2</td><td>3</td></tr><tr><td>y</td><td>$\frac{1}{9}$</td><td>$\frac{1}{3}$</td><td>1</td><td>3</td><td>9</td><td>27</td></tr></table> $x3 \quad x3$ $y = 1(3)^x$	x	-2	-1	0	1	2	3	y	$\frac{1}{9}$	$\frac{1}{3}$	1	3	9	27	b. $y = 27\left(\frac{1}{3}\right)^x$ 27, 9, 3
x	-2	-1	0	1	2	3											
y	$\frac{1}{9}$	$\frac{1}{3}$	1	3	9	27											

11. Determine the growth/decay factor and rate.	$(1 + r)$ and $(1 - r)$ represent the growth and decay factors Rate is just the r value	a. $y = 3(1.25)^x$ Growth Determine if the function is growth or decay: Factor: 1.25 Rate: 25% $100 + \underline{\quad} = 125$	b. $y = 2(.84)^x$ Decay Determine if the function is growth or decay: Factor: $.84$ Rate: 16% $100 - \underline{\quad} = 84$
12. Applications of exponential functions.	Growth: $y = a(1 + r)^t$ Decay: $y = a(1 - r)^t$ a: initial amount t: time r: Growth/Decay rate	a. A certain radioactive element decays at a rate of 21% per month. If the starting amount was 32 ounces, how much will be left after 1 year ? Model: $y = 32(.79)^x$ $y = 32(.79)^{12}$ Solution: <u>1.89 ounces</u>	b. The value of the Barbie Dream House is \$125,000. This house is in a prime location and appreciates (increases in value) at a rate of 7% per year. How much will the Barbie Dream House be worth in 5 years? Model: $y = 125,000(1.07)^x$ $y = 125,000(1.07)^5$ Solution: <u>\$175,318.97</u>
13. Arithmetic & Geometric Sequences	Arithmetic: Explicit: $a_n = a_1 + (n - 1)d$ Recursive: $a_1 = \underline{\quad}$ $a_n = a_{n-1} + d$ Geometric: Explicit: $a_n = a_1 \cdot r^{n-1}$ Recursive: $a_1 = \underline{\quad}$ $a_n = r(a_{n-1})$ You must always know your first term and the constant ratio/common difference to write an explicit formula!	a. Create an explicit and recursive formula for the following: 4 -9, -14, -19... $a_n = -4 - 5(n-1)$ OR $a_n = -5n + 1$ <hr/> $a_1 = -4$ $a_n = a_{n-1} - 5$	b. Create an explicit and recursive formula for the following: 81, 27, 9, 3, ... $a_n = 81(1/3)^{n-1}$ <hr/> $a_1 = 81$ $a_n = 1/3(a_{n-1})$
		c. Determine the 9 th term in the sequence: 5, 15, 45, Geometric \swarrow $\times 3$ $a_n = 5(3)^{n-1}$ $a_9 = 5(3)^{9-1}$ <u>$a_9 = 32,805$</u>	d. Given the sequence -3, 0, 3, 6... find the 32 nd term. Arithmetic $a_n = -3 + 3(n-1)$ OR $a_n = 3n - 6$ $a_{32} = 3(32) - 6$ <u>$a_{32} = 90$</u>
		e. Determine the first five terms of the sequence: $a_n = -2 \cdot 3^{n-1}$ $-2, -6, -18, -54, -162, \dots$	f. Determine the first five terms of the sequence: $a_1 = 6$ $a_n = 1/2(a_{n-1})$ $6, 3, 1.5, .75, .375, \dots$

		<p>g. Determine the first five terms of the sequence: $a_1 = 7$ $a_n = a_{n-1} - 3$</p> <p>7, 4, 1, -2, -5...</p>	<p>h. Determine the first five terms of the sequence: $a_n = -5n + 2$.</p> <p>1 2 3 4 5 $-3 -8 -13 -18 -23$</p>								
		<p>i. Write the explicit formula given the following arithmetic sequence: $a_4 = 6$ and $a_5 = 2$</p> <p>1 2 3 4 5 18 14 10 6 2 -4</p> <p>$a_n = 18 - 4(n-1)$ or $a_n = -4n + 22$</p>	<p>j. Write the explicit formula given the following geometric sequence: $a_3 = -18$ and $a_4 = -54$</p> <p>1 2 3 4 -2 -6 -18 -54 x3</p> <p>$a_n = -2(3)^{n-1}$</p>								
<p>14. Sequence Applications</p>		<p>a. The table shows a car's value for 3 years after it is purchased.</p> <p>a. Does this table form an arithmetic or geometric sequence? Explain how you know.</p> <p>Geometric because you are multiplying by 0.85</p> <p>b. Create an explicit formula to represent the table.</p> <p>$a_n = 18,000(.85)^{n-1}$</p> <p>c. How much is the car worth after 8 years?</p> <p>$a_8 = 18000(.85)^{8-1}$ $a_8 = \\$5770$</p> <div style="float: right; text-align: right;"> <p>Decay</p> <table border="1"> <thead> <tr> <th>Year</th> <th>Value (\$)</th> </tr> </thead> <tbody> <tr> <td>1</td> <td>18,000</td> </tr> <tr> <td>2</td> <td>15,300</td> </tr> <tr> <td>3</td> <td>13,005</td> </tr> </tbody> </table> <p>$\frac{18000}{15300} = \cancel{1.18}$ $\frac{15300}{18000} = (.85)$</p> </div>		Year	Value (\$)	1	18,000	2	15,300	3	13,005
Year	Value (\$)										
1	18,000										
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You will also have five questions on the exam over content from before Units 3 – 7 to begin preparing you for the EOC. We covered the following topics:

- Creating algebraic expressions, equations, and inequalities
- Solving an equation
- Solving an inequality
- Determining if a graph, table, set of points, or mapping was a function
- Graphing linear functions
- Writing equations of line
- Finding the slope and y-intercept
- Describe the characteristics of a linear function
- Solving systems of equations using substitution or elimination
- Solve a real world system of equations
- Graph a system of equations and inequalities
- Perform operations of addition, subtraction, and multiplication on polynomials
- Factoring polynomials