## Day 2 - Recursive Formulas \& More with Sequences



## Generating a Sequence from a Recursive Formula

For each of the following recursive formulas, generate the first five terms.
a $a_{1}=7$
$a_{n}=a_{n-1}+4$

$$
a_{1}=-54
$$

c. $\begin{aligned} & a_{1}=-3.5 \\ & a_{n}=a_{n-1}+9\end{aligned}$
d. $\begin{aligned} & a_{1}=4 \\ & a_{n}=2\left(a_{n-1}\right)\end{aligned}$
e. $\begin{aligned} & a_{1}=-7 \\ & a_{n}=a_{n-1}-6\end{aligned}$

$$
\begin{aligned}
& a_{1}=1025 \\
& \text { f. } \\
& a_{n}=\left(\frac{1}{5}\right)\left(a_{n-1}\right)
\end{aligned}
$$

## Creating Explicit and Recursive Formulas

For each of the following sequences, define the first term and common difference/constant ratio. Then create a simplified explicit formula and recursive formula.

| a. 1, 8, $15 \ldots$ | b. 4, 0, -4 ... | c. $400,200,100$.. |
| :---: | :---: | :---: |
| Type: | Type: | Type: |
| Explicit: | Explicit: | Explicit: |
| Recursive: | Recursive: | Recursive: |
| d. 3, 6, $12 \ldots$ | e. $-5,3,11 \ldots$ | $\text { f. } 40,10, \frac{5}{2} \ldots$ |
| Type: | Type: | Type: |
| Explicit: | Explicit: | Explicit: |
| Recursive: | Recursive: | Recursive: |

## Challenge

a. Two terms of an arithmetic sequence are $a_{5}=15$ and $a_{6}=22$.
a. What is the common difference?
b. What are the first four terms of this sequence?
c. Write the EXPLICIT and RECURSIVE rules for this sequence.
b. Two terms of a geometric sequence are $a_{5}=162$ and $a_{6}=486$.
a. What is the constant ratio?
b. What are the first four terms of this sequence?
c. Write the EXPLICIT and RECURSIVE rules for this sequence.
c. Given $\mathrm{a}_{10}=16$ and $\mathrm{d}=5$, write the EXPLICIT and RECURSIVE rules for this sequence.

