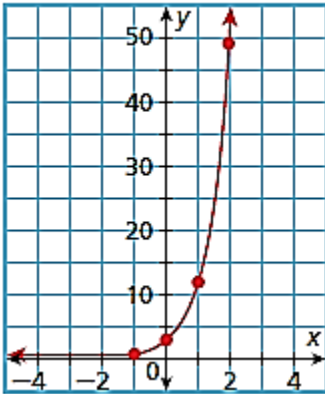


Characteristics of Exponential Functions

As you can hopefully recall, you learned about characteristics of functions in Unit 2 with linear functions and Unit 5 with quadratic functions. We are going to apply the same characteristics, but this time to exponential functions.

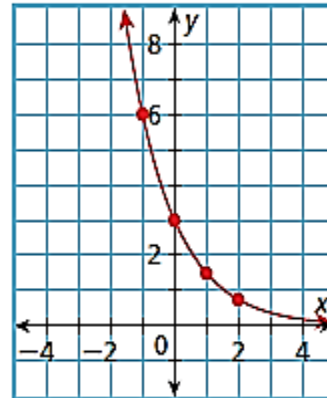
Domain and Range

Domain		
Define: All possible values of x	Think: How far left to right does the graph go?	Write: Smallest $x \leq$ $x \leq$ Biggest x *use $<$ if the circles are open*
Range		
Define: All possible values of y	Think: How far down to how far up does the graph go?	Write: $y <$ highest y value (opens down) $y >$ lowest y value (opens up)



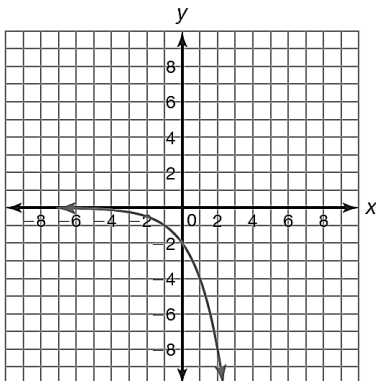
Domain:

Range:



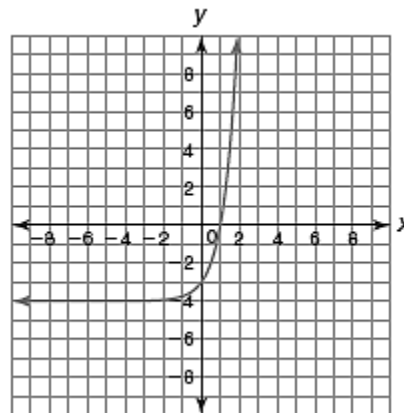
Domain:

Range:



Domain:

Range:

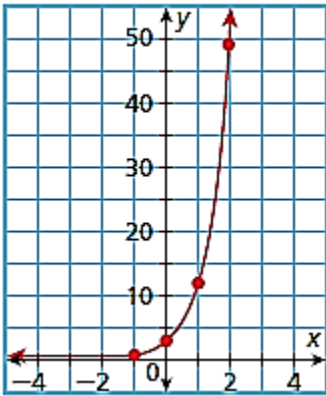


Domain:

Range:

Intercepts and Zeros

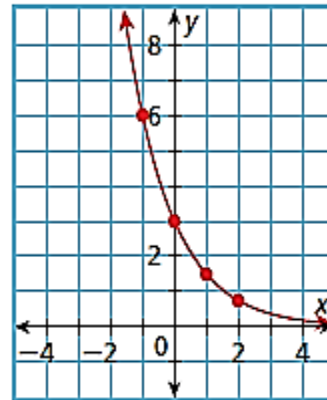
Y-Intercept		
Define: Point where the graph crosses the y-axis	Think: At what coordinate point does the graph cross the y-axis?	Write: (0, b)
X-Intercept		
Define: Point where the graph crosses the x-axis	Think: At what coordinate point does the graph cross the x-axis?	Write: (a, 0)
Zero		
Define: Where the function (y-value) equals 0	Think: At what x-value does the graph cross the x-axis?	Write: x = ____



X-intercept:

Zero:

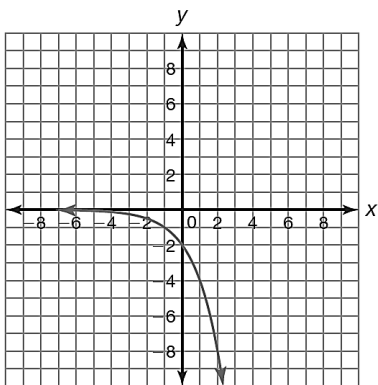
Y-intercept:



X-intercept:

Zero:

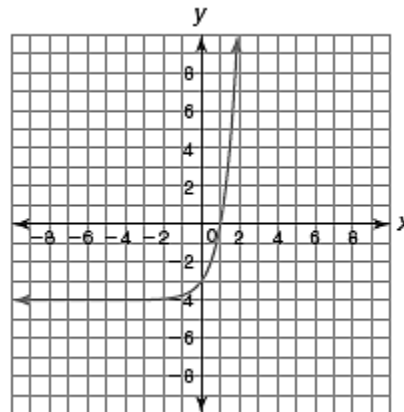
Y-intercept:



X-intercept:

Zero:

Y-intercept:



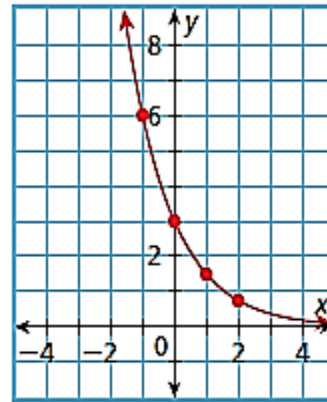
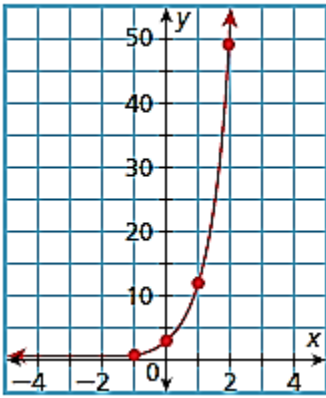
X-intercept:

Zero:

Y-intercept:

Extremas and Asymptotes

Maximum		
Define: Highest point of a function.	Think: What is my highest point on my graph?	Write: y =
Minimum		
Define: Lowest point of a function.	Think: What is the lowest point on my graph?	Write: y =
Asymptotes		
Define: A line that the graph get closer and closer to, but never touches or crosses.	Think: What values does my graph begin to flat line towards?	Write: y =



Maximum:

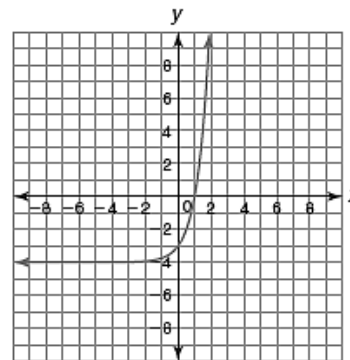
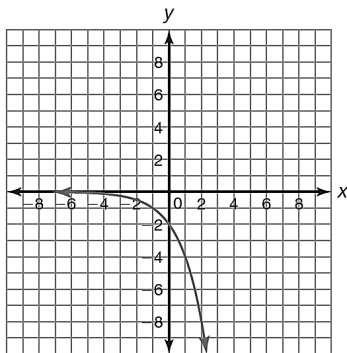
Minimum:

Maximum:

Minimum:

Asymptote:

Asymptote:



Maximum:

Minimum:

Maximum:

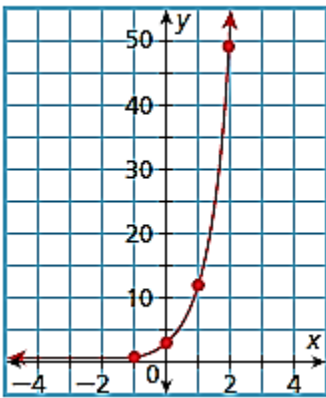
Minimum:

Asymptote:

Asymptote:

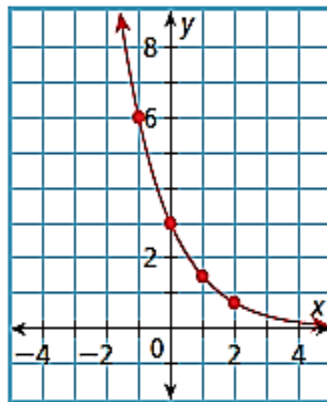
Intervals of Increase and Decrease

Interval of Increase		
Define: The part of the graph that is rising as you read left to right.	Think: From left to right, is my graph going up?	Write: An inequality using the x-value of the vertex
Interval of Decrease		
Define: The part of the graph that is falling as you read from left to right.	Think: From left to right, is my graph going down?	Write: An inequality using the x-value of the vertex



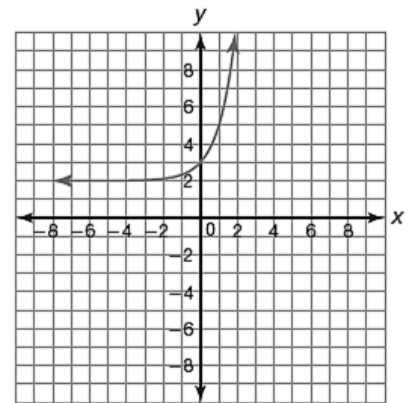
Interval of Increase:

Interval of Decrease:



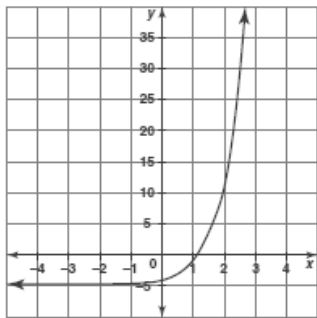
Interval of Increase:

Interval of Decrease:



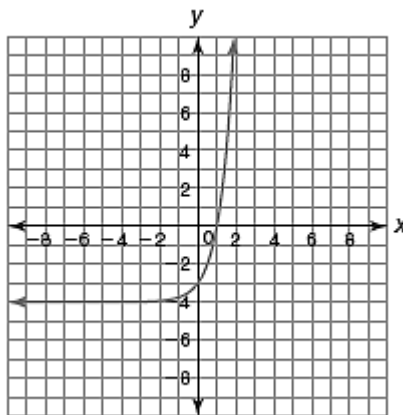
Interval of Increase:

Interval of Decrease:



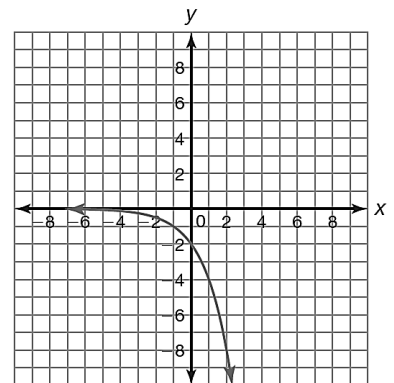
Interval of Increase:

Interval of Decrease:



Interval of Increase:

Interval of Decrease:



Interval of Increase:

Interval of Decrease:

End Behavior

End Behavior

Define:

Behavior of the ends of the function (what happens to the y-values or $f(x)$) as x approaches positive or negative infinity. The arrows indicate the function goes on forever so we want to know where those ends go.

Think:

As x goes to the left (negative infinity), what direction does the left arrow go?

Write:

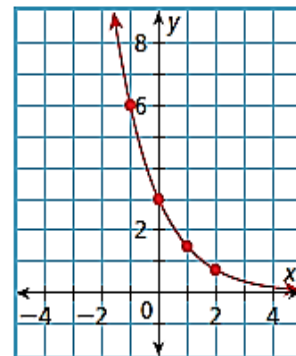
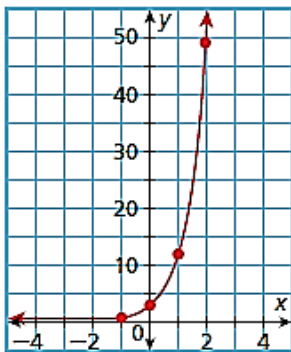
As $x \rightarrow -\infty$, $f(x) \rightarrow$ _____

Think:

As x goes to the right (positive infinity), what direction does the right arrow go?

Write:

As $x \rightarrow \infty$, $f(x) \rightarrow$ _____

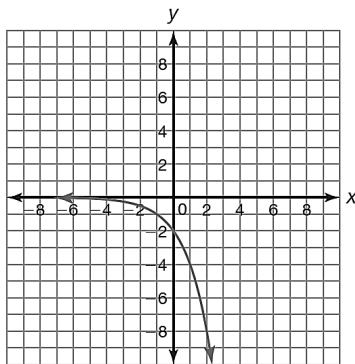


As x approaches $-\infty$, $f(x)$ approaches _____.

As x approaches ∞ , $f(x)$ approaches _____.

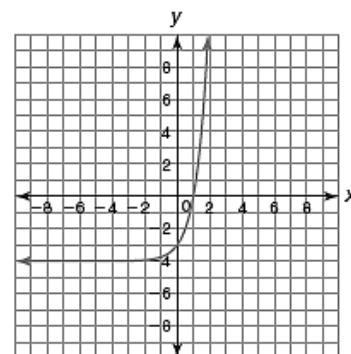
As x approaches $-\infty$, $f(x)$ approaches _____.

As x approaches ∞ , $f(x)$ approaches _____.



As x approaches $-\infty$, $f(x)$ approaches _____.

As x approaches ∞ , $f(x)$ approaches _____.

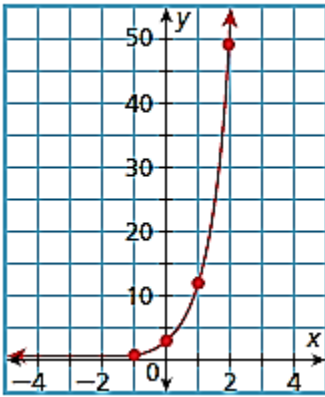


As x approaches $-\infty$, $f(x)$ approaches _____.

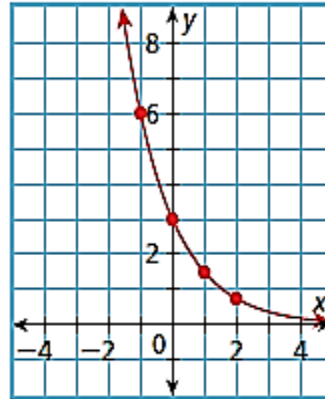
As x approaches ∞ , $f(x)$ approaches _____.

Average Rate of Change from a Graph

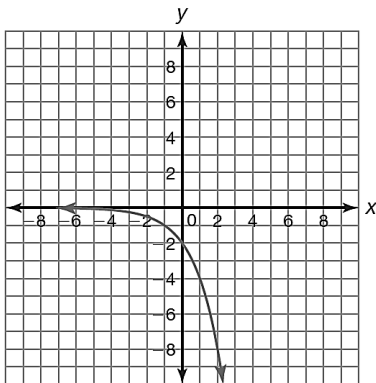
Average Rate of Change: Rate of change or slope for a given interval on a graph. The given interval is written using the inequality notation $a \leq x \leq b$, where a and b represent the initial and final x-value of the interval.



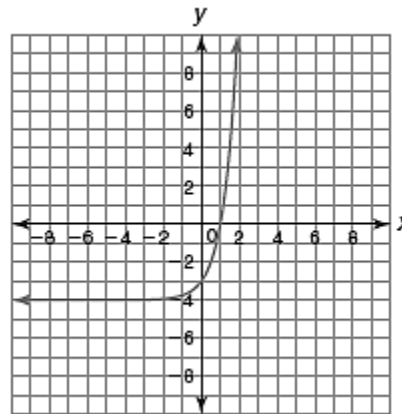
Calculate the average rate of change for the interval $0 \leq x \leq 2$



Calculate the average rate of change for the interval $-1 \leq x \leq 2$



Calculate the average rate of change for the interval $0 \leq x \leq 2$



Calculate the average rate of change for the interval $0 \leq x \leq 1$

Average Rate of Change from an Equation

If you are given an equation of a function and asked to calculate the average rate of change for that function over a given interval, you will substitute the initial x-value and the final x-value into the function to create two sets of ordered pairs. Then using the ordered pairs, substitute into the slope formula.

a. $y = 3x$; $1 \leq x \leq 3$

b. $y = 2(1/2)x$; $-4 \leq x \leq 0$